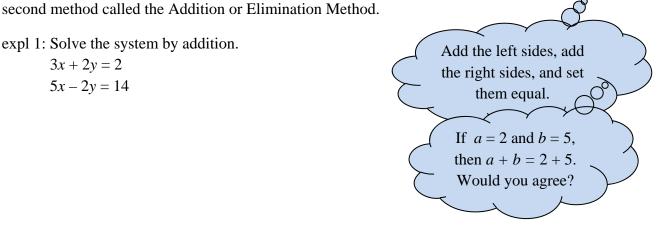
We will learn another way to turn two equations with two unknowns into one equation with one unknown. Elementary Algebra Class Notes 0 Algebraically Solving Systems of Linear Equations by Addition (section 4.3) Consider our dilemma. We are given two equations but we can't solve either for x because that darn y is in the way. If only we had just one equation with just one variable. Then we could solve it like we are used to. We saw one method to do this in the previous section. Now we see a

expl 1: Solve the system by addition.

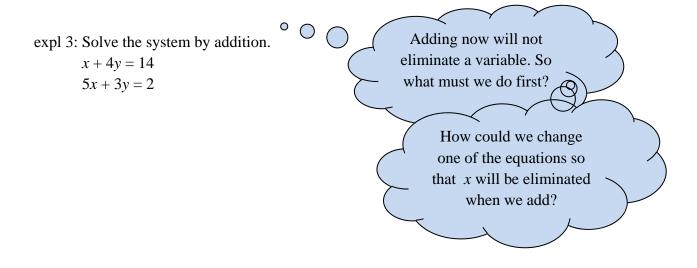
3x + 2y = 25x - 2y = 14



Notice by adding the equations, we eliminated one of the variables. We were then able to solve for the other variable. Did you substitute the value you got for x into one of the original equations to find y? Remember the solution is an ordered pair in the form (x, y).

expl 2: Solve the system by addition.

$$\begin{aligned} x - y &= 1\\ -x + 2y &= 0 \end{aligned}$$



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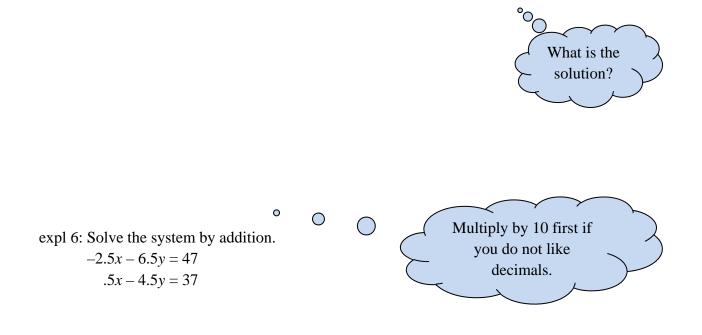
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expl 4: Solve the system by addition. 2x + 3y = 4

$$3x - 4y = 23$$

It's probably easiest to change both equations.

expl 5: Solve the system by addition. 9x - 3y = 1212x - 4y = 18



expl 7: Solve the system by addition.

$$\frac{x+5}{2} = \frac{y+14}{4}$$

$$\frac{x}{3} = \frac{2y+2}{6}$$

Get rid of those fractions
first by multiplying by
the LCDs.