

Remember that multiplication is just repeated addition. Division is the reverse of multiplication.

**Multiplication:**

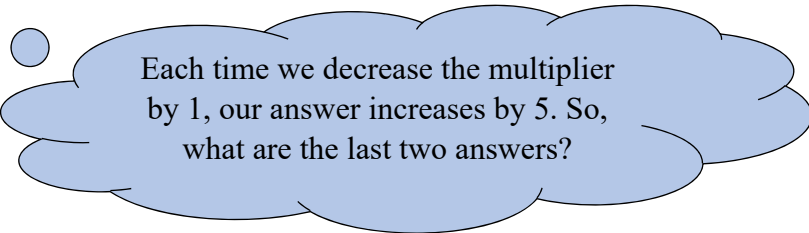
Recall, that the product of two positive numbers will be positive and can be thought of as a shortcut to repeated addition. For example,  $6 \times 3$  is equal to  $3 + 3 + 3 + 3 + 3 + 3$  or 18.

If we do the related problem  $6 \times (-3)$ , we can write it as  $(-3) + (-3) + (-3) + (-3) + (-3) + (-3)$ . What does that make?

Notice how the product of a positive number and a negative number *must* be negative.

Can we come up with a similar rule for the *product of two negative numbers*? You may recall a mnemonic device. Regardless, let's look at a pattern to firm up this notion.

$$\begin{aligned} -5 \times 3 &= -15 \\ -5 \times 2 &= -10 \\ -5 \times 1 &= -5 \\ -5 \times 0 &= 0 \\ -5 \times -1 &= ?? \\ -5 \times -2 &= ?? \end{aligned}$$



Each time we decrease the multiplier by 1, our answer increases by 5. So, what are the last two answers?

We must remember that the product of two negative numbers *must* be positive. Keep that in mind as we progress.

The book recalls absolute value to make up a rule for multiplying these numbers. **Multiply the numbers' absolute values and then apply the sign using what we saw earlier.**

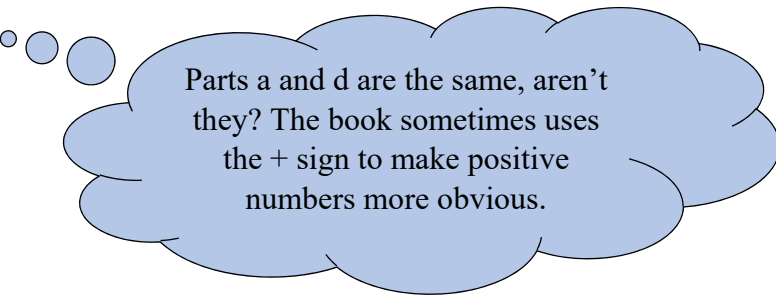
expl 1: Multiply.

a.)  $8 \times -5$

b.)  $-5 \times -13$

c.)  $\frac{3}{5} \times \left(-\frac{2}{3}\right)$

d.)  $(+8) \times -5$



Parts a and d are the same, aren't they? The book sometimes uses the + sign to make positive numbers more obvious.

**Division:**

Recall that division is the reverse of multiplication. We have these rules for quotients.

Divide two negative numbers and the quotient *must* be positive.

Divide a positive number by a negative number (or vice versa) and the quotient *must* be negative.

Again, the book uses absolute value for their rule. **They will say to divide the absolute values of the numbers and then assign the appropriate sign.**

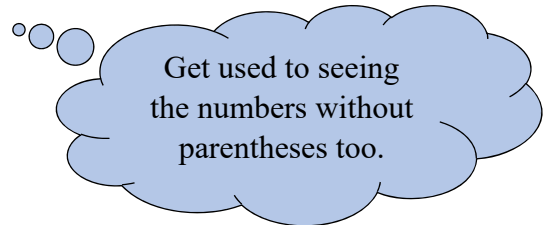
expl 2: Divide.

a.)  $(-45) \div (+5)$

b.)  $(-45) \div (-5)$

c.)  $\frac{3}{5} \div \left(-\frac{2}{3}\right)$

d.)  $-50 \div -10$



You will also see problems that require a calculator and have rounding rules.

expl 3: Divide. Round to the nearest hundredth.

$-3.50 \div -1.04$

expl 4: An airplane descends from 42,000 feet to 20,000 feet in 12 minutes. Give its rate of change in altitude in feet per minute as a *signed* number.

**Worksheet: Multiplying and Dividing Signed Numbers:**

This worksheet will give us practice problems.